## Number- Calculation <br> Addition and Subtraction

| Year R addition methods |
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| number songs and rhymes supporting counting |

combining two sets of practical objects including working with numicon, before going on to recording a sum and representing their addition in their own ways, e.g.

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$3+2=5$

This should be applied to problem solving as the year progresses to broaden experiences

Children should begin to explore 10s frames to show simple addition below 10 .


By end of summer term in readiness for Year 1drawing magic buttons to represent numbers then adding the buttons together. Only suitable for smaller numbers as once children begin to add sets of 'teen' numbers this becomes inefficient and can lead to mistakes in counting.

## $5+3=8$ <br> -0.eッ

Macaic buttons

Quick recapping of combining two sets of practical objects before recording a sum in line with a CPA approach, quickly leading to;
use of part-part whole models to understand two parts of a total, recording both addition sentences. used alongside practical resources initially

$7+3=10$
$3+7=10$
use of a tens frame alongside part-part whole models to understand two parts of a total, recording both addition sentences

$4+6=10$
$6+4=10$
drawing magic buttons to represent numbers then adding the buttons together. Only suitable for smaller numbers as once children begin to add sets of 'teen' numbers this becomes inefficient and can lead to mistakes in counting.

## $5+3=8$

## -0eee 00

Year 2 addition methods
adding three one-digit numbers
Should be achievable mentally as only single digits, number line could support WT pupils.

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Start by looking for any known number bond pairs to 10, then count on the third number mentally.

If no pairs are evident, start with the biggest number and count on twice to reach the total.

## a two-digit number and ones

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Put the biggest number in your head then count on, should be achievable mentally, number line could support WT pupils.

## a two-digit number and tens

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Begin with making the numbers from apparatus to secure understanding of place value. Pupils will then begin to represent the numbers by drawing both parts. They should be able to count on in tens from the first number, solving this mentally by the end of KS1, only needing jottings if unsure.

two two-digit numbers

|  | counting on from the biggest number using a number line and recording their number sentences <br> counting on mentally- children may begin to add mentally once they are able to count on from a given number. Often begins with putting the number in their head and counting on using their fingers. Pupils may also refer to a number line as they count. | Practical then jottings non-bridging (carrying) begin by making both 2 digit numbers with practical apparatus before moving onto drawing both numbers. Pupils should add the tens first, then count on the ones (non bridging) $31+23=54$ <br> Non-bridging (carrying) for column method $\begin{aligned} & 42+25=67 \\ & \text { TU } \\ & 42 \\ & +25 \\ & \overline{67} \end{aligned}$ <br> Practical then jottings with bridging (carrying) $35+27=62$ <br> Bridging (carrying) for column method $\begin{aligned} & 45+36=81 \\ & \text { TU } \\ & 45 \\ & +36 \\ & \frac{1}{81} \end{aligned}$ |
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This should be applied to problem solving as the year progresses to broaden experiences

Crossing out an amount from a set of pictures to show subtraction
5-3=2

## CR288

By end of summer term in readiness for Year 1drawing magic buttons to represent first number then crossing out the second number

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7-4=3
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| Year 1 subtraction methods |
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| Quick recapping of practical subtraction before <br> recording a sum in line with a CPA approach, <br> quickly leading to; |
| use of part-part whole models to understand two <br> parts of a total, recording both subtraction <br> sentences. used alongside practical resources | sentences. used alongside practical resources initially


$10-7=3$
$10-3=7$
use of a tens frame alongside part-part whole models to understand two parts of a total, recording both subtraction sentences

$10-4=6$
$10-6=4$
drawing magic buttons to represent biggest number then crossing out the number to be subtracted

$$
7-4=3
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## 8 © <br> 80

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Year 2 subtraction methods
subtracting ones from a two-digit number


Put the biggest number in your head then count back, should be achievable mentally, number line could support WT pupils.

## subtracting tens from a two-digit number



Begin with making the numbers from apparatus to secure understanding of place value. Pupils will then begin to represent the numbers by drawing the first number and crossing out the amount to take away. They should be able to count back in tens from the first number, solving this mentally by the end of KS1, only needing jottings if unsure.


## subtracting two two-digit numbers

## Practical then jottings no exchanging

begin by making the largest number with apparatus then taking away the smaller number. Pupils should then move onto drawing and crossing out (ones first, then tens)


Non- borrowing column method

|  | counting back from the biggest number using a number line and recording their number sentences <br> I less than 10 is 9 <br> 10 subtract I equals 9 $10-1=9$ <br> counting back mentally- children may begin to subtract mentally once they are able to count back from a given number. Often begins with putting the number in their head and counting back using their fingers. Pupils may also refer to a number line as they count | $56-32=24$ <br> TU <br> 56 <br> -32 <br> $\underline{\underline{24}}$ <br> Practical then jottings with exchanging <br> begin by making the largest number with apparatus, then exchanging the last tens rod for ten ones, before taking away the smallest number. Pupils should then move onto drawing this by crossing out their last ten and drawing ten extra ones $56-38=$ <br> Borrowing column method <br> 56-38= <br> TU 45 46 <br> 38 <br> 18 |
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| Number－Calculation Multiplication and Division |  |  |
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| Year R multiplication methods | Year 1 multiplication methods | Year 2 multiplication methods |
| Beginning to double numbers practically by understanding they are adding the same number twice，using＂double 2 is 4 ＂as a language model． $5+5=10$ | rote counting in a multiple pattern（e．g． <br> $2,4,6,8,10 \ldots$ ）for 2＇s，5＇s and 10＇s using number lines and hundred squares <br> begin to understand multiplying by adding groups of the same quantity together through repeated addition．Practically first then beginning to record <br> begin to work with arrays－a way of setting out their sets／groups／lots in a grid pattern <br> $\bigcirc 0$ <br> 3 groups of $2=6$ <br> NB－the Year 1 curriculum does not require pupils to be formally introduced to the multiplication sign X －we choose to introduce this to develop pupils understanding of the concept and to speed up their recordings <br> NB－doubling and halving is a non－statutory objective for Year 1，as this has been taught in Reception it is quickly recapped after multiplication and division has been taught | rote count in a multiple pattern（e．g．2，4，6，8，10．．．）for 2＇s，3＇s，5＇s and 10＇s，build on from using number lines and hundred squares to mental recall <br> developing understanding of arrays in more depth．Begin to understand that multiplication can be done in any order and will give the same total－commutative law <br> 00 <br> $3 \times 2=6$ <br> $2 \times 3=6$ <br> learning multiplication（and corresponding division）facts．Pupils have already experienced counting in multiples of 2，3， 5 and 10， but because this is rote counting they do not always make number connections．It is therefore important to explicitly teach multiplication（and division）facts，so that pupils are able to quickly recall these to aid calculation，and to make＇number sense＇of the connections between groups of numbers |

Year R division methods
equal-sharing between' practically through 1:1 correspondence using the ' 1 for you 1 for me' approach.

begin to understand halving as sharing an amount equally between two groups so both groups have the same amount

half of 8 is 4

Year I division methods
counting backwards in 2's, 5's and 10's. Pupils begin to learn to count aloud in these patterns, often using a number line to spot the jumps


Practical equal sharing between pre-printed hoops

6 shared by $3=2$


Beginning to record their equal sharing by being given pre-printed hoops then equally sharing by drawing the dividend (amount to be divided) into the hoops equally through 1:1 correspondence using the ' 1 for you 1 for me' approach.

NB- the Year 1 curriculum does not require pupils to be formally introduced to the division sign $\div$ we choose to introduce this to develop pupils understanding of the concept and to speed up their recordings

NB- doubling and halving is a non-statutory objective for Year 1, as this has been taught in Reception it is quickly recapped after multiplication and division has been taught

## Year 2 division methods

rote count backwards in a multiple pattern (e.g. 20, 18, 16, $14 \ldots .$. ) for 2 's, 3 's, 5 's and 10 's, build on from using number lines and hundred squares to mental recall

Recording 'equal-sharing between'. Pupils should be encouraged to draw the amount of hoops to represent the divisor (amount being divided by, e.g. in $10 \div 2$ the divisor is 2 ). Pupils should then equally share by drawing the dividend (amount to be divided) into the hoops equally through $1: 1$ correspondence using the ' 1 for you 1 for me' approach.

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6 \div 3=2
$$


'equal-sharing between' with remainders. The remainder can then be made explicit by being 'left over' from their recording.

learning division (and corresponding multiplication) facts. Pupils have already experienced counting in multiples of $2,3,5$ and 10, but because this is rote counting they do not always make number connections. It is therefore important to explicitly teach division (and multiplication) facts, so that pupils are able to quickly recall these to aid calculation, and to make 'number sense' of the connections between groups of numbers

|  |  | understanding division as grouping. Pupils will need to use both the equal-sharing between and inverse-of multiplication, or grouping, structure confidently, as the context of a problem will determine the structure needed to solve it. <br> e.g. There are 15 people who need to travel in cars to a concert. Each car can hold 5 people. How many cars would we need? <br> $15 \div 5=3$ <br> 15 counters grouped in $5 s$ <br> 3 groups |
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| Number- Fractions |  | Year $\mathbf{2}$ methods |
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| Year R methods | Year methods | Quick recap of practical resources as input, some children may <br> need to physically practise then move to drawing own circles to <br> show their halving, quartering and diving into thirds |
| See multiplication and division for halving and equal <br> sharing methods | Practical halving and quartering with pre-printed <br> circles divided into halves and quarters | Use of practical resources for exploring equivalence |

